

# Supernovae driven Turbulence in the interstellar medium

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# Supernovae simulations

full 3-D non-ideal MHD, stellar gravity field, differential rotation, radiative cooling

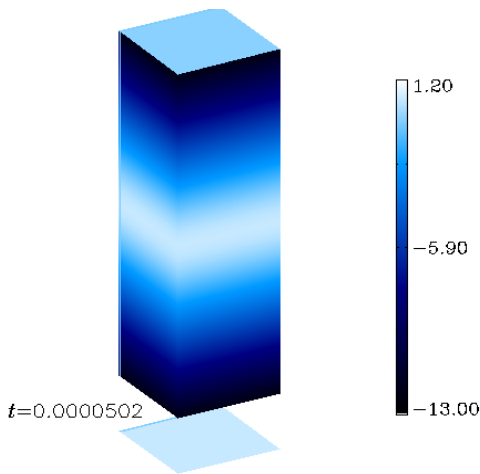


Figure: pencil-code simulation

- ▶ density scale  
 $\ln(\rho/10^{-24})$  -13 to 1.2
- ▶ mid-plane section  
2kpc high by 500pc<sup>2</sup>
- ▶ density slices  
stellar scale height  $\approx$  200pc  
density 1 cm<sup>-2</sup>
- ▶ time units Gyrs

# The model

- ▶ shearing box - differential rotation  
radial/azimuthal - periodic/sliding
- ▶ gravity profile (?)

$$g_z = \frac{g_\alpha z}{\sqrt{z^2 + 200\text{pc}^2}} + \frac{g_\beta z}{1\text{kpc}^2}$$

- ▶  $t=0$ : isothermal hydrostatic equilibrium

$$\rho(z) = \rho_0 \exp\left(\frac{0.4g_\alpha - 2g_\alpha \sqrt{z^2 + 0.2^2} - g_\beta z^2}{2\tau_0}\right)$$

$$\rho(z) \propto \rho(z), T(0) = 8000\text{K}$$

- ▶ radiative cooling, uv heating, seed magnetic field  $10^{-2}\mu\text{G}$

# Supernovae model

- ▶ Type I & Type II SNe:
  - ▶ inject  $10^{51}$  ergs (thermal & kinetic energy) & mass  $4M_{\odot}$   
 $24 \text{ Myrs}^{-1} \text{ kpc}^{-2}$
  - ▶ SNI: random uniform in x,y; gaussian in z to height 350 pc
  - ▶ SNII: Poisson time process, dependent on cloud mass  
 $T < 4000\text{K}$  and  $\rho > 1$ , random site, bias for densest cloud
- ▶ Sedov and snowplough growth reproduced

$$R = \left(\frac{25}{3\pi}\right)^{\frac{1}{5}} \left(\frac{E}{\rho_0}\right)^{\frac{1}{5}} t^{\frac{2}{5}} \quad (\text{adiabatic})$$

$$R = R_0 \left(1 + 4\frac{\dot{R}_0}{R_0}(t - t_0)\right)^{\frac{1}{4}} \quad (\text{snowplough})$$

- ▶ transition velocity  $\dot{R}_0$  between two phases

$$\dot{R}_0 \propto \rho_0^{2/17} E^{1/17} \quad (?)$$

# Effect of initial remnant radius on expansion

single SN approximated with energy injected into finite sphere

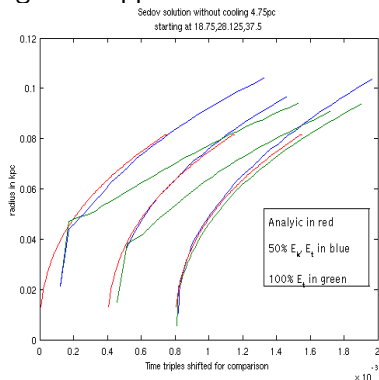


Figure: Adiabatic growth of SN remnant shell **mixed thermal/kinetic**, **only thermal** and **analytic** for various initial remnant sizes

- ▶ Why increase remnant size?
- ▶ Injection of thermal energy only:  
 $10^{51}$  ergs at rest
- ▶ Injection of joint kinetic-thermal energy:  
 $5 \times 10^{50}$  ergs thermal plus equivalent velocity

# Single supernova

Comparison to Sedov solution with larger initial remnant size

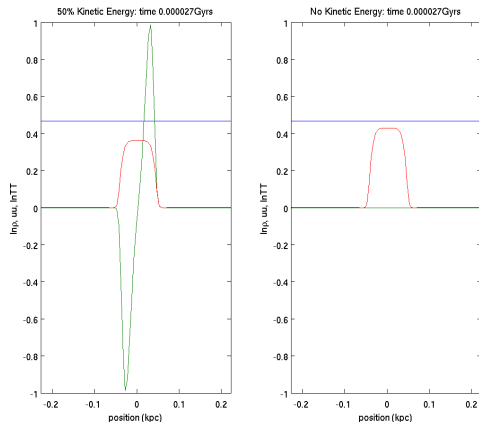


Figure: Single SN simulation without cooling: 1-D section through the remnant origin **density**, **shock velocity** and **temperature**

- ▶ no radiative cooling
- ▶ injected thermal/kinetic energy  
good match to Sedov  
reverse shock - high temp
- ▶ injected thermal energy only  
stable but too slow

# Single SN remnant with radiative cooling function

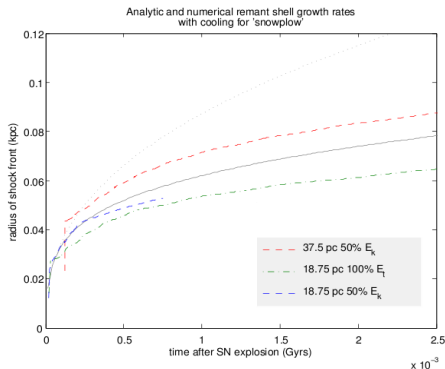


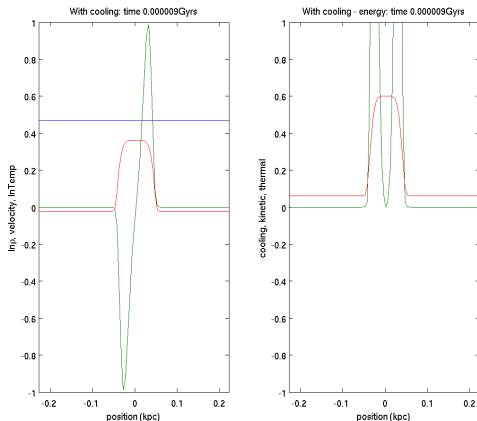
Figure: Comparing simulations with radiative cooling to snowplow

- ▶ solid line - snowplow
- ▶ Initial remnant 37.5pc thermal-kinetic energy
- ▶ Initial remnant 18.75pc thermal energy only
- ▶ Initial remnant 18.75pc thermal-kinetic energy  
too hot for code
- ▶ Initial remnant 37.5pc thermal energy only  
too cold for growth

# Single SN remnant

$$\rho \quad T \quad V_r$$

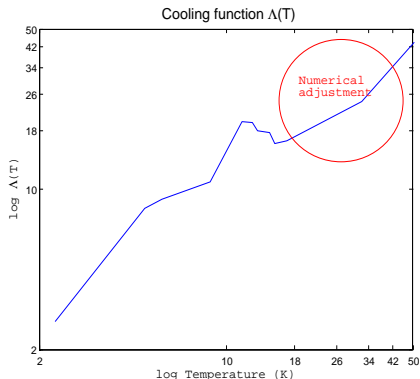
$$\Lambda(T) \quad E_T \quad E_K$$



- ▶ density, radial velocity and temperature
- ▶ cooling, kinetic energy and thermal energy
- ▶ Hot & warm phases  
 $\approx 8000\text{K}$  &  $> 10^6\text{K}$

Figure: thermal-kinetic energy in initial 37.5pc remnant with cooling: 1D-sections through the origin

# Radiative cooling

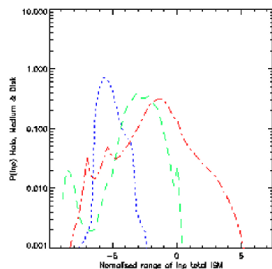


**Figure:** Radiative cooling function includes unphysical cooling above  $10^7$  K to inhibit unresolvable hot gas.

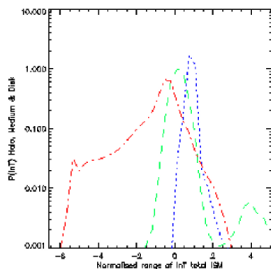
- ▶ Continuous cooling function  
(?)  
(?)
- ▶ uv-heating constant smoothly vanishes above 8000K  
(?)
- ▶ Is high end truncation justified?

# Probability density - by height

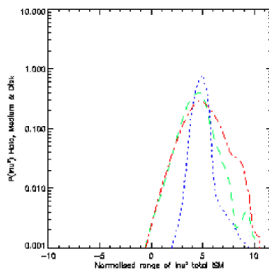
Density



Temperature



Velocity



**Figure:** Probability density plots at 58 Myrs for  $\log(\text{density})$ ,  $\log(\text{temperature})$  and  $\log(\text{velocity}^2)$  in the **halo**, **mid-height** and **disk**

# Volume filling factors heat phases

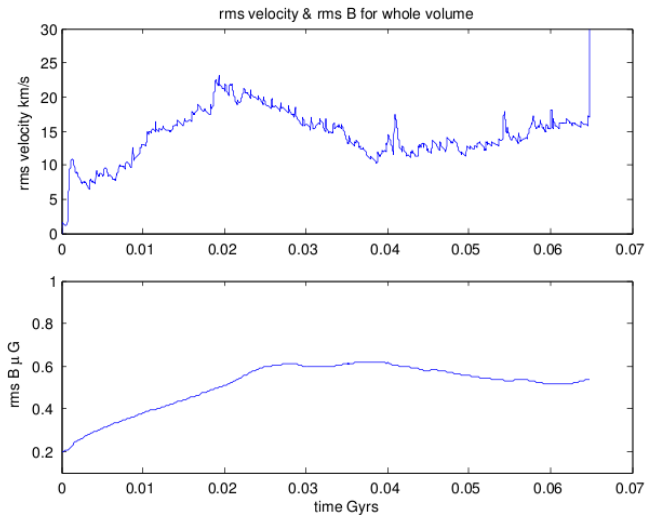
volume filling factors at 44 Myrs

	$T \leq 200 \text{ K}$	$200 \text{ K} < T \leq 10^4 \text{ K}$	$T > 10^4 \text{ K}$
$< 200 \text{ pc}$	0.049	0.764	0.187
$< 500 \text{ pc}$	0	0.126	0.867
$\geq 500 \text{ pc}$	0	0	0.994
Total $\leq 1\text{kpc}$	0.015	0.191	0.794

volume filling factors at 58 Myrs

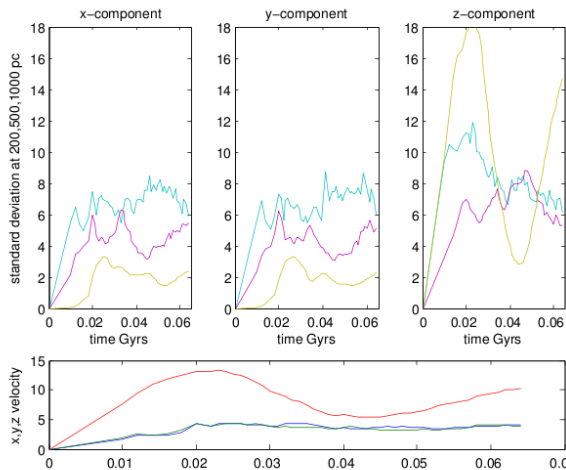
	$T \leq 200 \text{ K}$	$200 \text{ K} < T \leq 10^4 \text{ K}$	$T > 10^4 \text{ K}$
$< 200 \text{ pc}$	0.042	0.789	0.170
$< 500 \text{ pc}$	0	0.302	0.692
$\geq 500 \text{ pc}$	0	0	0.993
Total $\leq 1\text{kpc}$	0.013	0.249	0.738

# Average Velocity and Magnetic fluctuations



**Figure:** Mean velocity and magnetic field strength in the whole volume. Seed field grows from  $0.05\mu\text{G}$  to about  $0.5\mu\text{G}$

# Anisotropy of velocity fluctuations



▶ velocity variance comparison by height:

<math>< 200,</math>

<math>200 - 500,</math>

<math>500 - 1000\text{ pc}</math>

▶ velocity variance in total volume by  $V_x, V_y, V_z$

Figure: Standard deviation from mean velocity for  $V_x, V_y, V_z < 200\text{ pc}$ , 200 to 500pc & 500pc to 1kpc. Plus  $V_x, V_y, V_z$  fluctuations for whole volume ( $V_z$  in red)

# Flow through the vertical boundaries

Fountain or wind?

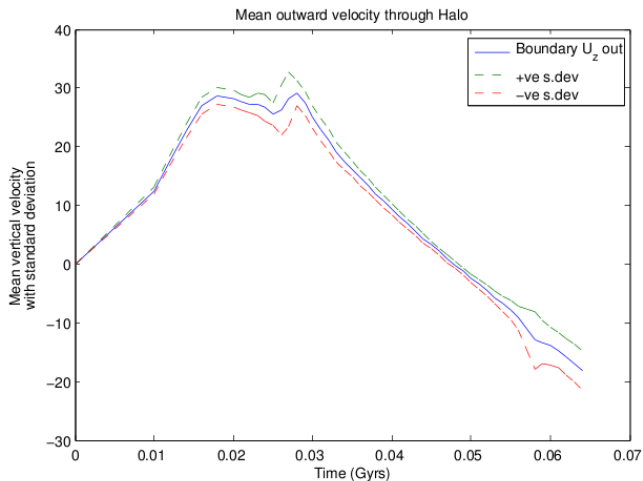
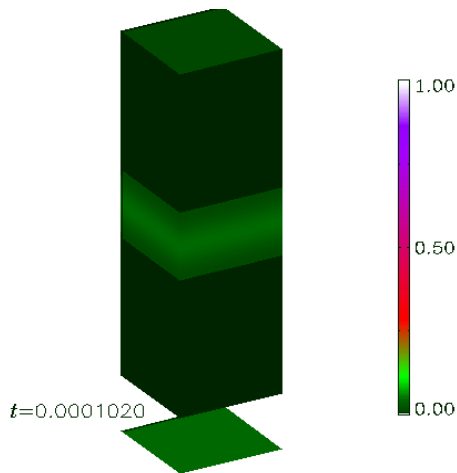


Figure: Mean outward velocity on vertical boundaries  $\pm 1$  kpc

## Further development and investigation

Results still very preliminary. Code under revision.



- ▶ include cosmic rays
- ▶ larger box to study dynamo
- ▶ investigate parameter space
- ▶ suggestions for further testing and improvements

Figure: Magnetic field  $B^2$  scale 0 to  $0.345591 \mu\text{G}$